# MAKERERE UNIVERSITY MAKERERE UNIVERSITY BUSINESS SCHOOL DEPARTMENT OF MANAGEMENT SCIENCE LINEAR ALGEBRA TAKE HOME EXERCISE FOR BACHELOR OF BUSINESS STATISTICS YEAR ONE OF MAKERERE **UNIVERSITY** ACADEMIC YEAR: 2023/2024 SEMESTER I

#### Instructions

i). Do this in a group of Ten (10)

ii) Cleary indicate the names and registration numbers of the group members

iii). Clearly show your working and computations

iv). Submit your work not later than 20th October 2023. This will be a physical submission during the Linear Algebra lecture.

# **Ouestion One**

Suppose you want to find values for a, b and c such that the parabola  $y=ax^2+bx+c$  passes through the points (1,1), (2,4) and -1, 1). Find (but do not solve) a system of linear equations whose solutions provide values for a, b and c. How many solutions would you expect this system of equations to have and why?

(5 marks)

### **Question Two**

Solve the following system for x, y and z.

$$\frac{1}{x} + \frac{2}{y} - \frac{4}{z} = 1$$
$$\frac{2}{x} + \frac{3}{y} + \frac{8}{z} = 0$$
$$\frac{-1}{x} + \frac{9}{y} + \frac{10}{z} = 5$$

(5 marks)

(7 marks)

#### **Question Three**

Consider the matrix

Г 0

$$A = \begin{bmatrix} -2 & 0 & 1 \\ -5 & 3 & a \\ 4 & -2 & -1 \end{bmatrix}$$
 for some variable 'a'. Find all values of 'a', which will prove

that Matrix A has eigenvalues 0, 3, and -3.

# **Question Four**

Given the following Matrices, find all eigenvalues and eigenvectors

i)

$$A = \begin{bmatrix} -2 & 1 \\ 12 & -3 \end{bmatrix}$$
 (4 marks)  
ii) 
$$B = \begin{pmatrix} 1 & 0 & 1 \\ 1 & 0 & 0 \\ -2 & 2 & -1 \end{pmatrix}$$
 (9 marks)

## >>>>>>END<<<<<<<<<<<<

https://www.analyzemath.com/linear-algebra/matrices/eigenvalues-and-eigenvectorsguestions-with-solutions.html